1. 

(a) $A e^{-3 t}+t\left(B t^{2}+C t+D\right) e^{4 t}+e^{3 t}[(E t+F) \cos 4 t+(G t+H) \sin 4 t]$.

Here and below, it does not matter in which order the terms in a sum or product appear, or which coefficients are given which names (as long as they are all given different names), or whether the distributive law is applied. E.g., another correct answer to (a) would be

$$
(A t+B) e^{3 t} \sin 4 t+e^{3 t}(C t+D) \cos 4 t+e^{4 t}\left(E t^{3}+F t^{2}+G t\right)+H e^{-3 t}
$$

Coefficient-names can also be distinguished using subscripts instead of different letters (e.g. $A_{1}, A_{2}, A_{3}, \ldots$ instead of $A, B, C, \ldots$ ), or by using combinations of subscripts and different letters (e.g. $E_{1}, F_{1}, E_{2}, F_{2}$ instead of $\left.E, F, G, H\right)$.
(b) $\left(A t^{2}+B t+C\right) e^{2 t}+t e^{3 t}(D \cos 2 t+E \sin 2 t)+(F t+G) e^{3 t}$.
(c) $(A t+B) \cos t+(C t+D) \sin t+t\left(E t^{2}+F t+G\right) e^{2 t}+H e^{2016 t}$.
(d) $A x^{2} e^{3 x}+e^{3 x}(B \cos 2 x+C \sin 2 x)+\left(D x^{2}+E x+F\right) e^{x}$.
(e) $e^{4 x}(A \cos x+B \sin x)+e^{x}(C \cos 4 x+D \sin 4 x)+x^{2}(E x+F) e^{4 x}+G$.
(f) $A \cos 3 t+B \sin 3 t+t e^{2 t}[(C t+D) \cos 3 t+(E t+F) \sin 3 t]+G t^{2}+H t+I+J e^{2 t}$.

